

# **Cambridge IGCSE**<sup>™</sup>

CANDIDATE NAME					
CENTRE NUMBER			CANDIDATE NUMBER		

### **CAMBRIDGE INTERNATIONAL MATHEMATICS**

0607/31

Paper 3 (Core) May/June 2021

1 hour 45 minutes

You must answer on the question paper.

You will need: Geometrical instruments

#### **INSTRUCTIONS**

- Answer all questions.
- Use a black or dark blue pen. You may use an HB pencil for any diagrams or graphs.
- Write your name, centre number and candidate number in the boxes at the top of the page.
- Write your answer to each question in the space provided.
- Do not use an erasable pen or correction fluid.
- Do not write on any bar codes.
- You should use a graphic display calculator where appropriate.
- You may use tracing paper.
- You must show all necessary working clearly and you will be given marks for correct methods, including sketches, even if your answer is incorrect.
- Give non-exact numerical answers correct to 3 significant figures, or 1 decimal place for angles in degrees, unless a different level of accuracy is specified in the question.
- For  $\pi$ , use your calculator value.

#### **INFORMATION**

- The total mark for this paper is 96.
- The number of marks for each question or part question is shown in brackets [ ].

This document has 16 pages.

#### Formula List

Area, A, of triangle, base b, height h.

 $A = \frac{1}{2}bh$ 

Area, A, of circle, radius r.

 $A = \pi r^2$ 

Circumference, C, of circle, radius r.

 $C = 2\pi r$ 

Curved surface area, A, of cylinder of radius r, height h.

 $A = 2\pi rh$ 

Curved surface area, A, of cone of radius r, sloping edge l.

 $A = \pi r l$ 

Curved surface area, A, of sphere of radius r.

 $A = 4\pi r^2$ 

Volume, V, of prism, cross-sectional area A, length l.

V = Al

Volume, V, of pyramid, base area A, height h.

 $V = \frac{1}{3}Ah$ 

Volume, V, of cylinder of radius r, height h.

 $V = \pi r^2 h$ 

Volume, V, of cone of radius r, height h.

 $V = \frac{1}{3}\pi r^2 h$ 

Volume, V, of sphere of radius r.

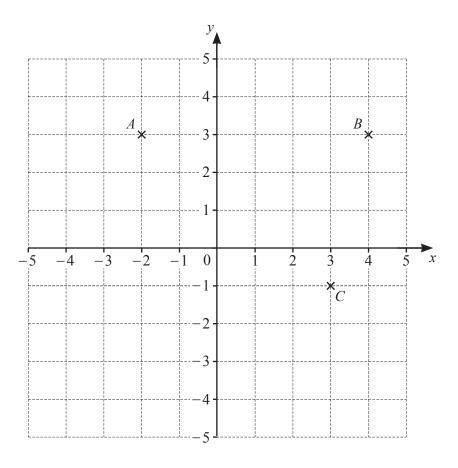
 $V = \frac{4}{3}\pi r^3$ 

## Answer all the questions.

1

(a)	Woı	ork out.		
	(i)	$\sqrt{36}$		
				[1]
	(ii)	$7^3$		
				[1]
(b)	(i)	$4 \times 4 \times 4 \times 4 \times 4 \times 4 = 4^n$		
		Write down the value of $n$ .		
			<i>n</i> =	[1]
	(ii)	Write down the value of $4^0$ .		
	( )			Γ1 <b>7</b>
(c)	Woı	ork out.		L*.
(c)	*****			
	a:	$\frac{1}{2^2 + \sqrt{17}}$		
	GIV	ve your answer correct to 3 decimal places.		
				[2]
	(*)	W. i. 0.000.002 in		[4]
(d)	(i)	Write 0.000 082 in standard form.		F4.7
				[1]
	(ii)	Work out.		
		$(7.3 \times 10^9) \times (1.8 \times 10^{-4})$ Give your answer in standard form.		
				[2]

2



Points A, B and C are plotted on a  $1 \text{ cm}^2$  grid.

(a)	Write	down	the	coordinates	Λf

	point	

1			)	Г1	1
	•••••	,	)	Γī	

(ii) point A.

J			
(		)	111
l	 ,	 <i>]</i>	11

**(b)** On the grid, plot the point (-3, -1) and label it D.

[1]

(c) Join A, B, C and D to form a quadrilateral.

Write down the mathematical name of quadrilateral ABCD.

(d)	Work out the area of quadrilateral <i>ABCD</i> .
	cm <sup>2</sup> [2]
(e)	On the grid, draw the reflection of quadrilateral <i>ABCD</i> in the <i>x</i> -axis. [2]

3 Ralf records the number of people in each car entering the school car park. The results are shown in the table.

Number of people in the car	Number of cars
1	8
2	13
3	6
4	3
5	2

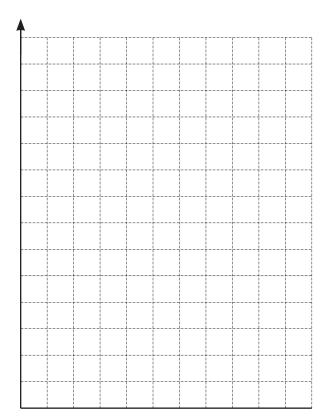
(	<b>(a)</b>	Work	out the	total	number	of	cars	that	Ralf	records	
М		, ,, ,, ,,	out the	will	Hullioti	O1	cuis	unu	ILMII	record	۰.

F	1.7	ı
	1	ı

**(b)** Work out the total number of people in these cars.

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	4	I

(c) On the grid, draw and label a bar chart to show the information in the table.



Number of cars

Number of people in the car

[4]

(a)	Ana is 28 years 3 months old.		
	Change 28 years 3 months into months.		
		months [2	2]
(b)	Ana has three children. The ages of the children are		
	7 years 11 months 5 years 4 months 2 years 6 months.		
	For these three ages, work out		
	(i) the range,		
		voors months [1	1
		years months [1	J
	(ii) the mean.		
		years months [3	,]
(c)	Jon has a watch that records the number of calories he u He uses 0.05 calories for each step he takes. He takes 1250 steps for every kilometre he walks. One day he uses 300 calories on a walk.	ses when he goes for a walk.	
	Work out how far he has walked.		
		km [2	.]

(a)	Complete this sequ	ience of patterns	by dra	wing Pat	tern 1 a	and Pattern 5			
	Pattern 1	Pattern 2 x x x x x x x x		Pattern 3 x x x x x x	;	Pattern x x x	4	Pattern 5	[2]
(b)	These are the first	four terms of a se	eauena	ee					
(2)		4	7	10	13				
	For this sequence,  (i) the next term,	write down	,	10	13				
	(),								[1]
	(*)					•••••		•••••	[1]
	(ii) the rule for co	ontinuing the sequ	uence.						
				•••••	•••••				[1]
(c)	The <i>n</i> th term of an	other sequence is	$3n^2$ .						
	Work out the first t	wo terms of this	seque	nce.					
							and	•••••	[2]
(d)	These are the first	five terms of a di	fferen	t sequenc	ee.				
		7 1	.5	23 3	31 3	39			
	Find the <i>n</i> th term of	of this sequence.							
									F 2 3
						•••••			[2]

9	
(a) Simplify.	
3y+4y-y	
	[1]
(b) Solve.	
(i) $x+6=20$	
	$x = \dots [1]$
(ii) $\frac{x}{4} = 8$	
	x =  [1]
(iii) $2(x-3) = 14$	
	$x = \dots [2]$
(c) On the number line, show the inequality $x \ge 4$ .	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	
0 1 2 3 4 5 6	[1]
(d) Factorise.	
5x + 20	

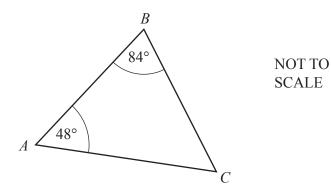
(e) Multiply out the brackets and simplify.

$$(6x+5)(x-3)$$

.....[2]

.....[1]

7 (a)



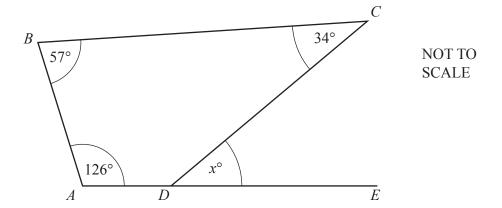
What type of triangle is *ABC*? Show how you decide.

[2]

**(b)** Work out the size of one exterior angle of a regular pentagon.

.....[2]

**(c)** 



In the diagram, *ADE* is a straight line.

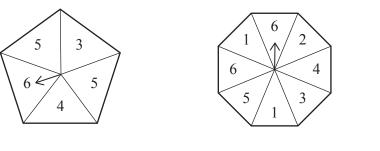
(i) Find the value of x.

14 —	[2]
x -	

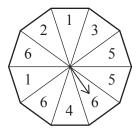
(ii) Show that ABCD is **not** a trapezium.

[2]

8 Here are three unbiased spinners made from regular polygons.



Spinner A Spinner B



Spinner C

(a)	(i)	For <b>Spinner</b> A	A work	out the	probability	of getting	6
-----	-----	----------------------	--------	---------	-------------	------------	---

|--|

(ii) Spinner A is spun twice.
Work out the probability of getting 6 each time.

.....[2]

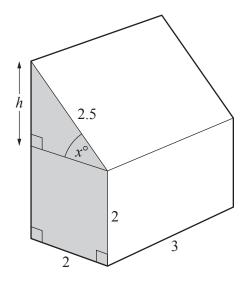
**(b)** Show that, of the three spinners, **Spinner** C has the greatest probability of getting 6 on one spin.

[4]

(a)	Amir has car insurance, home insurance and health insurance.  In one year he spends a total of \$5775 on insurance in the ratio car: home: health = 2:3:6.  Work out how much he spends on each type of insurance.						
		Car	\$				
		Home	\$				
		Health	\$	[3]			
(b)	A company offers Samal health insurance for The company offers a 15% reduction when the						
	Work out how much this insurance will cost S	amal if she l	buys it online.				
			\$	[2]			
(c)	Terry's car insurance increases from \$900 to \$	S1100.					
	Work out the percentage increase.						
			0/	<b>[2]</b>			
			%	[3]			

10	(a)	The line with equation $y = mx + 1$ passes through the point (3, 19).							
		Work out the value of $m$ .							
		v.	n =  [3	1					
	(b)		<i>n</i> –[3	J					
	(~)	$\mathcal{Y}_{lack}$							
		8 B							
			NOT TO SCALE						
		$\begin{array}{c c} A \\ \hline -4 & 0 \end{array}$							
		In the diagram, the line meets the x-axis at $A(-4, 0)$ and the	the y-axis at $B(0, 8)$ .						
		(i) Find the coordinates of the mid-point of $AB$ .							
			() [2	.]					
		(ii) Find the equation of the line AB.							
				_					
			[3						

11 In this question, all lengths are in metres.



NOT TO SCALE

The diagram shows a shed in the shape of a prism.

(a) Use Pythagoras' Theorem to show that h = 1.5.

[2]

**(b)** Use trigonometry to find the value of x.

 $x = \dots$  [2]

(c) (i) The end of the shed is shaded.

Calculate this area.

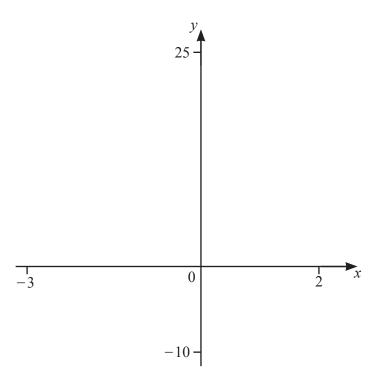
..... m<sup>2</sup> [2]

(ii) Work out the volume of the shed. Give the units of your answer.

.....[2]

Question 12 is printed on the next page.

12



- (a) (i) On the diagram, sketch the graph of  $y = x^3 + 3x^2$  for  $-3 \le x \le 2$ . [2]
  - (ii) Find the coordinates of the local minimum.

(iii) Find the coordinates of the local maximum.

- **(b)** On the diagram, sketch the graph of  $y = 3x^2 5$  for  $-3 \le x \le 2$ . [2]
- (c) Find the coordinates of the point of intersection of the graphs of  $y = x^3 + 3x^2$  and  $y = 3x^2 5$ .

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